Lab 4: Ground Bounce

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Abstract

In this experiment I looked into a way for measuring the ground bounce generated by capacitively loading 5 outputs of a Texas Instrument small outline package Hex-Flip Flop chip and discharging them all simultaneously.

1 Introduction

Ground bounce occurs as the result of package wirebond having a non-zero inductance. This means there is a non-zero inductance between physical ground and the ground reference on a chip. Note that inductors act as high impedances to quickly changing currents given by the inductive relationship:

$$V = L \frac{dI}{dt}$$

For a large current time derivative the inductance kicks up a large voltage. Observe also that the current generated by a discharging capacitance is expressed according to the relationship:

$$I = C\frac{dV}{dt}$$

Charging a capacitive load on the outputs of a package, and then simultaneously disgchargin all of them through the package will induce a time varying current equal to the capacitively scaled time derivative of the voltage discharge. Notice that the voltage across the bond-out inductance to ground alters the internal ground reference of the package. It is clear to see that changing the ground reference changes the voltage of an output tied to the internal ground of the package with respect to the ground plane. We would like to measure and consider the maximum or peak value of this changing ground reference which is determined like so:

$$V_{gnd\max} = L \frac{dI_{\max}}{dt}$$

The source of high speed current switching, as we explained previously, is the capacitive discharge current. We can replace the current in the differential with the capacitive differential voltage used to describe discharge current:

$$V_{gnd\max} = LC\left(\frac{d^2V}{dt^2}\right)_{\max}$$

Finally we must make an assumption about the time domain geometry of the voltage V. As we have discussed in class, high speed digital signals are typically gaussian. If we treat the digital output of our logic family as gaussian pulses and find where the second derivative of the gaussian pulse is maximum, then we can determine what this maximum should be. Graham and Johnson give us an empirical equation for determining the maximum of this second derivative, parameterized in terms of peak voltage and 10%-90% rise time:

$$\left(\frac{d^2V}{dt^2}\right)_{\rm max} = 1.52 \left(\frac{V_p}{T_{10-90}^2}\right)$$

We can substitute this into our ground bounce equation for a final computable result:

$$V_{gnd\max} = 1.52 \cdot LC \cdot \left(\frac{V_p}{T_{10-90}^2}\right)$$

By measuring the ground bounce, capacitive load, and logic family voltage swing and rise time, we can then determine a package bond-out inductance according to:

$$L = \frac{V_{gnd\max} \cdot T_{10-90}^2}{1.52 \cdot C \cdot V_n}$$

Before proceeding we would like to verify the emperical equation theoretically. Note that the gaussian pulse has a sigmoid geometry determined by the erf() function. If we take a unit amplitude erf() centered at 1/2 so that the signal asymptotically approaches 0 on the left and 1 on the right like so:



Figure 1: Gaussian edge with a 10-90 rise marked

Setting these conditions allows us to more simply solve for the 10-90 rise time T_{10-90} by setting our erf() equation equal to 0.1 and 0.9 in Mathematica's equation solver. There is not a closed form solution to this problem, and using computer aided approximation is the simplest way to get around this. Mathematica gives us solutions of $t = \pm 0.906$, in other words a T_{10-90} of 1.812.

We then take the second derivative of the erf() function and use Mathematica to solve for the maximum explicitly (this is the point where concavity maximizes). The antisymmetric behavior plotted below is precisely the behavior we expect to see as ground bounce:



Figure 2: second derivative of the gaussian pulse with maximum identified by Mathematica.

The maximum of the second derivative of our gaussian signal was determined to be $\sqrt{\frac{2}{e\pi}} \approx 0.484$. With our computed values, we want to determine a coefficient β such that:

$$\left(\frac{d^2V}{dt^2}\right)_{\rm max} = \beta \left(\frac{V_p}{T_{10-90}^2}\right)$$

Here V_p is unity, therefore β is simply:

$$\beta = T_{10-90}^2 \cdot \left(\frac{d^2 V}{dt^2}\right) = (1.812)^2 \cdot \sqrt{\frac{2}{e\pi}} \approx 1.59$$

Since differentiation is linear, any rise time or voltage amplutide scaling factor should not alter this relative coefficient.

We can see that this is in slight disagreement with the 1.52 that Graham and Johnson reported. The purpose of my experiment is to see which version of the equation gives a more appropriate determination of package inductance and attempt to verify the empirical validity of Graham and Johnson's equation.

If our experiment does not demonstrate the validity of either of these equations, it could mean one of two things: either there were unaccounted for factors in our experiment that prevented us from resolving ground bounce properly or the high speed capacitive discharge is *not* gaussian shaped.

2 Materials & Methods

The following is a schematic of my design:

I used the HC logic family with a 5V regulator, since the max rated supply voltage to the HC device was 6V and the available 6V regularor had error margins that exceeded this. Each HC chip was bypassed with a 1 μ F and 100 nF parallel capacitance. These were chosen to handle lower and higher frequency noise on the power rail, where a single capacitance would only bypass one of these noise ranges.

The sig gen was set to a 1V, 15 kHz square wave and applied to a trace biased to $1/2 V_{cc}$ which is used to clock a state machine (the source swing can be kept low because of the biasing). The state machine generates a 90° offset clock and clear signal which is sent to a Hex Flip flop package with 5 inputs tied high and 1 tied low. Ideally, we want the data to be clocked in, then at a quarter of the clock period, an active low clear signal is asserted and the high outputs, which are capacitively loaded, discharge through the package and a ground bounce can be observed on the always low output.

There is a slight error in the logic design of this control system. The clear signal is asynchronous. At power initialization, an RC delay is used to pull the active low clear signals of the flip flops from ground to V_{cc} . The preset signal is pulled high and therefore both flip flops start in the state Q = 0. An inverter on the clock input of one of the flops is used to generate the 90 degree shift. However, when the reset signal goes high relative to the clock level is non-deterministic. Therefore the phase shift can be 90 degrees in either direction (i.e. the active low clear to the hex flip flops can lead the clock signal by a quarter period, or follow. Proper operation only occurs where the posedge of the reset leads the posedge of the clock). When the clear signal is pulled high while the clock is low, the generated clock will incorrectly lead the generated clear. As a result of the asynchronous design and non-deterministic nature of when the clear signal goes high relative to the clock, the state machine is non-deterministic and 50% of the time it will produce incorrectly timed outputs. To get around this, we briefly shorted the RC delay line enough times until the correct bahavior was produced. A proper design solution to this problem will be discussed later.

Finally, we generated different capacitive loads by hooking the hex flip flop outputs to 5 sets of sockets that we were able to plug axially leaded capacitors into. We chose to look at how loading the output between 10 pF and 75 pF would affect the ground bounce magnitude. To measure this, I probed the reset signal and triggered the scope on the negative edge since it is active low. The oscillation seen here corresponded to when the capacitively loaded outputs were reset and discharged through the chip.

3 Results & Analysis

When I hooked the board up with no capacitive load and triggered off the reset I saw the following behavior:



Figure 3: Ground bounce plotted under the reset signal displayed at a resolution of 5 V per tick. The time was 10 ns per tick and the voltage for the ground bounce was 5 mV per tick

As can be seen, there is ringing which I measured to oscillate at 167 MHz. When a capacitive load was placed on the design, I observed that the first peak of this ringing was increased while the rest of the ringing was attenuated. I assumed that this first peak which was 13.2 mV above the ground plane corresponded to the ground bounce and measured the difference in gain between when the chip was capacitively loaded and unloaded to determine $V_{gnd \text{ max}}$.

4 Conclusion & Future Improvements

I was not able to generate conclusive results with my board as noted by the inconsistant calculation of lead inductance over the range of capacite loads I

selected. I believe the primary problem for this was a result of capacitor lead inductance. The reason I think this to be the case was because when I loaded the output with skinnier leaded capacitors of higher nominal capacitance it did not increase the ground bounce behavior like I predicted. The sockets also may have introduced obsticles and unaccounted for effects. When the outputs were not driving capacitive loads, the oscillation I observed was relatively high.

Ultimately, I wish I had had the foresight to use onboard capacitive banks. I noticed other people get much better and more conclusive results by hooking up switches to banks of surface mount capacitors (which have significantly lower lead inductance compared to axially leaded capacitors). While it would not offer the same dynamic range of output loading that using sockets did, I think the parasitic effects of my experiment overshadowed the behavior I was aiming to see and in the end being able to swap around capaitive loads ended up not being beneficial.

It is unfortunate I was unable to get conclusive results. I was eager to try and verify the emperical nature of the equation provided by Graham and Johnson. As it is, I cannot conclude whether their equation is any better than the theoretically computed one.

Finally, as noted earlier, the control logic of my design needs to be redesigned in order to properly deterministically generate the correct signal timing. To do this, I must simply drive the reset signal into a flop with input pulled high which is clocked at the same rate as the two flops of the state machine and drive the output of the reset flop to the reset of those same two flops as dipicted:



Figure 4: state machine with synchronous reset hardware diagram. The clock network is not shown for simplicity.

In other words, the RC reset is driven into a flop which will only update on the positive clock edge. Therefore we deterministically esure that a transition from active reset to reset high happens only when the clock is high.

There may be design considerations that I have not fully accounted for, however. For instance clock skew may cause behavioral problems where the reset signal clocks high before the clock has reached the state machine flops, which would imply a reset transition occuring when the clock is still low in the state machine and would lead to the incorrectly timed behavior. However, if the flops are kept in close proximity with one another, the clock skew should not be a serious issue. Something else to note is that this design improvement introduces extra complexity, since a separate dual flip flop package would need to be added to the board. However, this is a perfectly acceptable cost to always ensure proper design execution and not risk destroying components by shorting power and ground to fiddle out the correct signalling.

References

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